

Some Suggestions for Presentations

1. Other proofs of Euler's relation for 3-polytopes, in Cromwell's book [Cro97].
2. Polytopes are nonextendably shellable, in Ziegler's book [Zie95].
3. Alon and Kalai's proof of the Upper Bound Theorem using exterior algebra [AK85].
4. Kalai's proof that the graph of a simple polytope determines its face lattice, in Ziegler's book [Zie95].
5. Barnette's proof of the lower bound theorem, in Brøndsted's book [Brø83].
6. Cauchy's proof of rigidity in Cromwell's book [Cro97].
7. One of the papers by Jon Lee in which he uses volume to assess goodness of polytopal approximation [KLS97, LM94].
8. Senechal's extension of Coxeter's classification of finite symmetry groups of a sphere [Sen90].
9. One of the papers by Jim Lawrence on Euler's relation and valuations [Law91, Law97].
10. Clarkson's proof of Upper Bound Theorem [Cla93].
11. My paper on some approaches to the Generalized Lower Bound Conjecture [Lee91].
12. One of the papers on projections of f -vectors of 4-polytopes. See, for example, [Bar74] (and I think this paper may provide references to others).

References

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