## MA 111 Review for Exam 6

Exam 6 (given in class on Thursday, December 3) will cover Unit 6: Descriptive Statistics. Use Chapter 14 in the textbook as a study tool.

You should be familiar with the following key ideas:

- Understand how to make and/or interpret the following graphical representations of data:
  - frequency table
  - bar graph
  - histogram
  - pictogram
  - pie chart
- Remember the differences between continuous and discrete variables, and between numerical and categorical variables. Understand which of the above graph types are best suited for these different types of variables.
- Be able to critique a graph. What are some common ways that graphs can be made so they mislead the viewer?
- Know the definition of the mean (or average) and how to calculate it for a given data set.
- Know the definition of the *p*th percentile and how to find it for a data set.
- Understand the meanings of median, first quartile, and third quartile:
  - The first quartile  $Q_1$  is the 25th percentile.
  - The median M is the 50th percentile.
  - The third quartile  $Q_3$  is the 75th percentile.
- Be able to make and/or interpret a box-and-whisker plot.
- Know the definition of the range and the interquartile range.

## Practice Problems

Use the odd exercises on pages 545-554 of the text to supplement these. You can check your answers in the back of the book.

1. Suppose you are given the following data table:

Favorite Colors of a Third Grade Class	
red	3
orange	1
yellow	4
green	3
blue	7
purple	2

- (a) Choose a graphical representation and use it to represent the data in the table.
- (b) Other than the graph you just chose, name another type of graph that would be appropriate for representing this data.
- (c) Name a type of graph that would be inappropriate for representing this type of data, and explain why.
- 2. Suppose you want to make a pie chart of the age of students in MA111. If 39% of the students are 19 years old, how big would the corresponding slice of the pie be? Calculate the size of the central angle of the slice.
- 3. Consider the following two data sets of exam scores for two different sections of a course:

Class A =  $\{40, 52, 65, 66, 68, 71, 72, 73, 77, 77, 78, 78, 80, 81, 81, 83, 86, 87, 92, 99\}$ Class B =  $\{55, 65, 66, 68, 72, 72, 73, 74, 76, 78, 79, 79, 80, 81, 85, 85, 85, 87, 90, 95\}$ 

- (a) Find the median, first quartile  $Q_1$  and third quartile  $Q_3$  for each class.
- (b) The professor wants to recommend the top 10% of each class for a scholarship. How many students will she recommend? (Remember, she will recommend students from *each* class).
- (c) Create box and whisker plots for both classes on a single axis.

- 4. Mike's average on the first five exams is 88. What must he earn on the next exam to raise his exam average to 90?
- 5. A professor is teaching two sections of MA111. Section 1 has 35 students, and Section 2 has 28 students. On the last exam, the average score for Section 1 was 73, while the average score for Section 2 was 78.

For all of the students combined, find the average score for the exam.

- 6. Look at the hand-out of graphs I distributed at the beginning of this unit. Be able to identify the ways that each graph is misleading, and suggest a way to improve the graphs.
- 7. Consider the following data set:

 $\{7, 59, 25, 27, 64, 70, 68, 11, 45, 5, 17, 45, 52, 21, 26\}$ 

- (a) Find the 30th percentile of the data set.
- (b) Find the 60th percentile of the data set.
- (c) Find the 95th percentile of the data set.
- (d) Find the 50th percentile of the data set.
- 8. Consider the data set  $\{2, 18, 19, 22, 24, 24, 25, 78\}$ .
  - (a) Find the range.
  - (b) Find the interquartile range.
  - (c) Why might we consider the interquartile range a better measure of the spread of this particular set?
- 9. Give an example of a data set with N = 5 with the median less than the mean.
- 10. Try questions 45 and 46 on pages 549-550 of the textbook. Be able to interpret box-andwhisker plots to answer similar questions.

Question 46 has two typos. The question should read:

(a) Fill in the blank: Of the 612 engineering graduates, at most \_\_\_\_\_ had a starting salary greater than **\$45,000**.

(b) Fill in the blank: If there were 240 agriculture graduates with starting salaries of **\$35,000** or less, the total number of agriculture graduates is approximately \_\_\_\_\_.

11. In 2006, the median SAT score was  $d_{756,155}$ , where  $\{d_1, d_2, \ldots, d_N\}$  denotes the data set of all SAT scores ordered from lowest to highest. Determine the number of students N who took the SAT in 2006.