Lecture 42: Review 1

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Question 1.

Which of the following are true statements about the final?

- A The MA 110 final is from 6-8 pm on Monday, 12 December 2016.
- B The MA 110 final is in CB 106.
- C The final will be half on the material since exam 4 and half on material from exams 1-3.
- D The review homework, homework 42, provides a review of the new material.
- E The old tests will serve as a review of the material from exams 1-3.

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All answers are correct.

Question 2.

Find the angle that ray $\{(x, y) : y = 2x, x \ge 0 \text{ makes with the positive } x$ -axis.

A $\sin^{-1}(1/2)$ B $\sin^{-1}(2\sqrt{5}/5)$ C $\cos^{-1}(\sqrt{5}/5)$ D $\tan^{-1}(2)$ E $\tan^{-1}(1/2)$

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Question 3.

Suppose *f* is one-to-one function. If (x(t), y(t)) gives a parametrization of the graph of *f*, then which of the following will give a parametrization of the graph of the inverse function f^{-1} .

- A (1/x(t), 1/y(t))B (-x(t), -y(t))C (y(t), x(t))D (-y(t), -x(t))
- E (-1/y(t), -1/x(t))

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- $\mathsf{D}(-y(t),-x(t))$
- E(-1/y(t),-1/x(t))

C.

Recall that if (x, y) is a point on the graph of f, then (y, x) will be a point on the graph of f^{-1} .

Question 4.

A line is described by the parametric equations y = 2t, x = t + 3. Give the equation of the line in the form y = mx + b.

A y = 2x + 3B y = 2x + 6C y = 2x - 6D y = 2x - 3E $y = \frac{x}{2} - 3$

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A y = 2x + 3B y = 2x + 6C y = 2x - 6D y = 2x - 3E $y = \frac{x}{2} - 3$ C t = x - 3, thus y = 2t = 2(x - 3) = 2x - 6.

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